

1. (60 Points) Homework 5. Use the handin command and submit the following under assignment 5:
 - (a) All source code.
 - (b) A short report (1 to 2 pages) detailing the comparisons between the three methods (Nave, Semi-Nave, and Semi-Nave on Magic Set Transformed Rules).
 - (c) Also, please drop by my office on or before December 13th to show me a demo of your code.
2. (15 Points) Paraconsistent Algebra. Consider the following two paraconsistent relations:

$$\begin{aligned} P^+ &= \{ (a,b), (b,c) \} \\ P^- &= \{ (a,c), (c,a), (c,b) \} \\ Q^+ &= \{ (c,b), (b,c) \} \\ Q^- &= \{ (a,a), (c,c) \} \end{aligned}$$

Compute the paraconsistent relation corresponding to the following expression:

$$\pi_{X,Z}(P(X,Y) \bowtie Q(Y,Z))$$

Show results after application of each operator.

3. (25 Points) Let P be the following general deductive database:

$$\begin{aligned} &r(1,2). \\ &r(2,3). \\ &r(3,4). \\ &p(X) :- r(X,Y), \text{ not } q(Y). \\ &q(X) :- r(Y,X), \text{ not } p(X). \end{aligned}$$

- (a) Compute the weak well-founded model for the database using T_P^F operator. Show the work after each iteration.
- (b) Using the paraconsistent relational model and algebra compute the weak well-founded model. Write the algebraic expressions for paraconsistent relation P and Q. Then, turn the equations into assignment statements and execute it in a repeat-until loop till no changes. Show the work after each iteration including the intermediate steps (complement, join, project etc) of evaluating the algebraic expression.