

Requirements/Challenges in Data Mining (Con't)

- Data source issues:
 - Diversity of data types
 - Handling complex types of data
 - Mining information from heterogeneous databases and global information systems.
 - Is it possible to expect a DM system to perform well on all kinds of data? (distinct algorithms for distinct data sources)
 - Data glut
 - Are we collecting the right data with the right amount?
 - Distinguish between the data that is important and the data that is not.

Requirements/Challenges in Data Mining (Con't)

- Other issues
 - Integration of the discovered knowledge with existing knowledge: A knowledge fusion problem.

Data Mining



- Needing More than just Information Retrieval
- Elementary Concepts
- Patterns and Rules to be Discovered
- Requirements and Challenges
- Association Rule Mining
- Classification
- Clustering

Basic Concepts

A transaction is a set of items: $T = \{i_a, i_b, \dots, i_t\}$

$T \subset I$, where I is the set of all possible items $\{i_1, i_2, \dots, i_n\}$

D , the task relevant data, is a set of transactions.

An association rule is of the form:

$P \rightarrow Q$, where $P \subset I$, $Q \subset I$, and $P \cap Q = \emptyset$

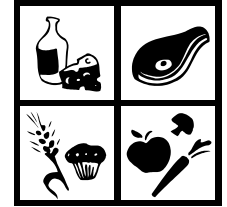


Basic Concepts (con't)

$P \rightarrow Q$ holds in D with support s
 and
 $P \rightarrow Q$ has a confidence c in the transaction set D .

Support($P \rightarrow Q$) = Probability($P \cup Q$)
 Confidence($P \rightarrow Q$) = Probability(Q / P)

Itemsets



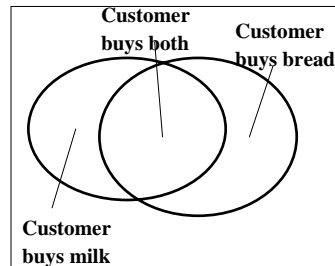
A set of items is referred to as itemset.

An itemset containing k items is called **k-itemset**.

An items set can also be seen as a conjunction of items (or a predicate)

Rule Measures: Support and Confidence

- **Support of a rule $P \rightarrow Q$**
 = Support of $(P \cup Q)$ in D
 - $s_D(P \rightarrow Q) = s_D(P \cup Q)$: percentage of transactions in D containing P and Q .
 (#transactions containing P and Q divided by cardinality of D).



- **Confidence of a rule $P \rightarrow Q$**
 - $c_D(P \rightarrow Q) = s_D(P \cup Q) / s_D(P)$: percentage of transactions that contain both P and Q in the subset of transactions that contain already P .

Strong Rules

- **Thresholds:**
 - minimum support: *minsup*
 - minimum confidence: *minconf*
- **Frequent itemset P**
 - support of P larger than minimum support,
- **Strong rule $P \rightarrow Q$ ($c\%$)**
 - $(P \cup Q)$ frequent,
 - c is larger than minimum confidence.

Mining Association Rules

Transaction ID	Items Bought
2000	A,B,C
1000	A,C
4000	A,D
5000	B,E,F

Min. support 50%
Min. confidence 50%

Frequent Itemset	Support
{A}	75%
{B}	50%
{C}	50%
{A,C}	50%

For rule $\{A\} \rightarrow \{C\}$:

$$\text{support} = \text{support}(\{A, C\}) = 50\%$$

$$\text{confidence} = \text{support}(\{A, C\}) / \text{support}(\{A\}) = 66.6\%$$

For rule $\{C\} \rightarrow \{A\}$:

$$\text{support} = \text{support}(\{A, C\}) = 50\%$$

$$\text{confidence} = \text{support}(\{A, C\}) / \text{support}(\{C\}) = 100.0\%$$

How do we Mine Association Rules?

- **Input**
 - A database of transactions
 - Each transaction is a list of items (Ex. purchased by a customer in a visit)
- Find all strong rules that associate the presence of one set of items with that of another set of items.
 - Example: *98% of people who purchase tires and auto accessories also get automotive services done*
 - There are no restrictions on the number of items in the head or body of the rule.

Mining Frequent Itemsets: the Key Step

- Iteratively find the *frequent itemsets*, i.e. sets of items that have minimum support, with cardinality from 1 to k (k -itemsets)
- Based on the *Apriori principle*:
 - Any subset of a frequent itemset must also be frequent.*
 - E.g., if $\{AB\}$ is a frequent itemset, both $\{A\}$ and $\{B\}$ must be frequent itemsets.
- Use the frequent itemsets to generate association rules.

The Apriori Algorithm

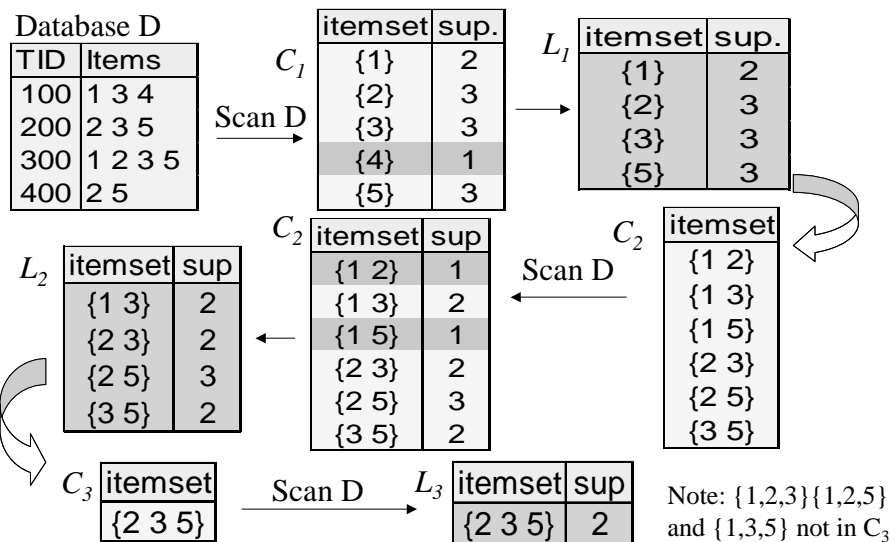
C_k : Candidate itemset of size k

L_k : frequent itemset of size k

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 $L_1 = \{\text{frequent items}\};$ 
for ( $k = 1; L_k \neq \emptyset; k++$ ) do begin
     $C_{k+1} =$  candidates generated from  $L_k$ ;
    for each transaction  $t$  in database do
        increment the count of all candidates in
         $C_{k+1}$  that are contained in  $t$ 
     $L_{k+1} =$  candidates in  $C_{k+1}$  with min_support
    end
return  $\cup_k L_k$ ;
    
```

The Apriori Algorithm -- Example



Generating Association Rules from Frequent Itemsets

- Only strong association rules are generated.
- Frequent itemsets satisfy minimum support threshold.
- Strong AR satisfy minimum confidence threshold.
- Confidence($P \rightarrow Q$) = $\text{Prob}(Q/P) = \frac{\text{Support}(P \cup Q)}{\text{Support}(P)}$

For each frequent itemset, **f**, generate all non-empty subsets of **f**.
For every non-empty subset **s** of **f** do
 output rule **s** → (**f-s**) if support(**f**)/support(**s**) ≥ min_confidence
end

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What is Classification?

The goal of data classification is to organize and categorize data in distinct classes.

- ▶ A model is first created based on the data distribution.
- ▶ The model is then used to classify new data.
- ▶ Given the model, a class can be predicted for new data.

