Relational Model

- Table = relation.
- Column headers = attributes.
- Row = tuple

name	manf
WinterBrew BudLite 	Pete's A.B.

Beers

- $Relation \ schema = name(attributes) + other$ structure info., e.g., keys, other constraints. Example: Beers(name, manf).
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 - Order of attributes is arbitrary, but in practice we need to assume the order given in the relation schema.
- *Relation instance* is current set of rows for a relation schema.
- $Database \ schema = collection \ of \ relation$ schemas.

Keys in Relations

An attribute or set of attributes K is a key for a relation R if we expect that in no instance of R will two different tuples agree on all the attributes of K.

- Indicate a key by underlining the key attributes.
- Example: If name is a key for Beers:

Beers(<u>name</u>, manf)

Why Relations?

- Very simple model.
- Often a good match for the way we think about our data.
- Abstract model that underlies SQL, the most important language in DBMS's today.
 - But SQL uses "bags," while the abstract relational model is set-oriented.

Relational Design

Simplest approach (not always best): convert each E.S. to a relation and each relationship to a relation.

$\mathbf{Entity} \ \mathbf{Set} \to \mathbf{Relation}$

E.S. attributes become relational attributes.



Becomes:

Beers(<u>name</u>, manf)

E/R Relationships \rightarrow Relations

Relation has attribute for key attributes of each E.S. that participates in the relationship.

- Add any attributes that belong to the relationship itself.
- Renaming attributes OK.
 - \bullet Essential if multiple roles for an E.S.



Likes(<u>drinker</u>, <u>beer</u>) Favorite(<u>drinker</u>, beer) Married(husband, <u>wife</u>) Buddies(<u>name1</u>, <u>name2</u>)

• For one-one relation Married, we can choose either husband or wife as key.

Combining Relations

Sometimes it makes sense to combine relations.

• Common case: Relation for an E.S. *E* plus the relation for some many-one relationship from *E* to another E.S.

Example

Combine Drinker(name, addr) with Favorite(drinker, beer) to get Drinker1(name, addr, favBeer).

- Danger in pushing this idea too far: redundancy.
- e.g., combining **Drinker** with **Likes** causes the drinker's address to be repeated viz.:

name	addr	beer
Sally	123 Maple	Bud
Sally	123 Maple	Miller

• Notice the difference: Favorite is many-one; Likes is many-many.

Weak Entity Sets, Relationships \rightarrow Relations

- Relation for a weak E.S. must include its full key (i.e., attributes of related entity sets) as well as its own attributes.
- A supporting (double-diamond) relationship yields a relation that is actually redundant and should be deleted from the database schema.



Hosts(<u>hostName</u>) Logins(<u>loginName</u>, <u>hostName</u>) At(<u>loginName</u>, <u>hostName</u>, hostName2)

- In At, hostName and hostName2 must be the same host, so delete one of them.
- Then, Logins and At become the same relation; delete one of them.
- In this case, Hosts' schema is a subset of Logins' schema. Delete Hosts?

${\bf Subclasses} \to {\bf Relations}$

Three approaches:

1. Object-oriented: each entity is in one class. Create a relation for each class, with all the attributes for that class.

• Don't forget inherited attributes.

- E/R style: an entity is in a network of classes related by isa. Create one relation for each E.S.
 - ✤ An entity is represented in the relation for each subclass to which it belongs.
 - Relation has only the attributes attached to that E.S. + key.
- 3. Use nulls. Create one relation for the root class or root E.S., with all attributes found anywhere in its network of subclasses.
 - Put NULL in attributes not relevant to a given entity.



OO-Style



Beers

name	manf	color
SummerBrew	Pete's	dark
Ales		

E/R Style

name	manf
Bud	A.B.
SummerBrew	Pete's
Beers	3
name	color
SummerBrew	dark
	•



Using Nulls

name	manf	color
Bud SummerBrew	A.B. Pete's	NULL dark
Beers		

Functional Dependencies

 $X \rightarrow A =$ assertion about a relation R that whenever two tuples agree on all the attributes of X, then they must also agree on attribute A.

• Important as a constraint on the data that may appear within a relation.

 \clubsuit Schema-level control of data.

• Mathematical tool for explaining the process of "normalization" — vital for redesigning database schemas when original design has certain flaws.

Drinkers(<u>name</u>, addr, <u>beersLiked</u>, manf, favoriteBeer)

name	addr	beersLiked	manf	favoriteBeer
Janeway	Voyager	Bud	A.B.	WickedAle
Janeway	Voyager	WickedAle	Pete's	WickedAle
Spock	Enterprise	Bud	A.B.	Bud

- Reasonable FD's to assert:
- $1. \quad \texttt{name} \to \texttt{addr}$
- $2. \quad \texttt{name} \to \texttt{favoriteBeer}$
- $3. \quad \texttt{beersLiked} \to \texttt{manf}$
- Note: These happen to imply the underlined key, but the FD's give more detail than the mere assertion of a key.

• Key (in general) functionally determines all attributes. In our example:

name beersLiked \rightarrow addr favoriteBeer beerManf

- Shorthand: combine FD's with common left side by concatenating their right sides.
- When FD's are *not* of the form Key \rightarrow other attribute(s), then there is typically an attempt to "cram" too much into one relation.
- Sometimes, several attributes jointly determine another attribute, although neither does by itself. Example:

beer bar \rightarrow price

Formal Notion of Key

K is a key for relation R if:

- 1. $K \rightarrow$ all attributes of R.
- 2. For no proper subset of K is (1) true.
- If K at least satisfies (1), then K is a *superkey*.

FD Conventions

- X, etc., represent sets of attributes; A etc., represent single attributes.
- No set formers in FD's, e.g., ABC instead of $\{A, B, C\}$.

Drinkers(<u>name</u>, addr, <u>beersLiked</u>, manf, favoriteBeer)

• {name, beersLiked} FD's all attributes, as seen.

Shows {name, beersLiked} is a superkey.

- name \rightarrow beersLiked is false, so name not a superkey.
- beersLiked \rightarrow name also false, so beersLiked not a superkey.
- Thus, {name, beersLiked} is a key.
- No other keys in this example.
 - Neither name nor beersLiked is on the right of any observed FD, so they must be part of any superkey.

Who Determines Keys/FD's?

- We could define a relation schema by simply giving a single key K.
 - Then the only FD's asserted are that $K \to A$ for every attribute A.
- Or, we could assert some FD's and *deduce* one or more keys by the formal definition.
 - E/R diagram implies FD's by key declarations and many-one relationship declarations.
- Rule of thumb: FD's either come from keyness, many-1 relationship, or from physics.
 - E.g., "no two courses can meet in the same room at the same time" yields room time \rightarrow course.