CSc 6340 Introduction to Compilers

Fall 2004, Exam #3 (Take Home) – INDIVIDUAL WORK - NO COLLABORATION

Due: 14 December 2004 (Tuesday)

1. Consider the following syntax-directed semantic specification:

| production $A \to \beta$ | semantic rule (w.r.t. $A \to \beta$) |
|--------------------------|---------------------------------------|
| $S \to B+$ | $[v_S =] print(v_B)$ |
| $S \to C-$ | $[v_S =] print(v_C)$ |
| $B \to n$ | $v_B = identity(v_n)$ |
| $B \to B_1, n$ | $v_B = max(v_{B_1}, v_n)$ |
| $C \to n$ | $v_C = identity(v_n)$ |
| $C \to C_1, n$ | $v_C = \min(v_{C_1}, v_n)$ |

- (a) Give an attributed parse tree for the source string 5, 2, 3- assuming the token n is lexically matched by any string of one or more digits. Evaluate the attributes in the attributed parse tree through syntax-directed evaluation.
- (b) What is the purpose of this syntax-directed semantic specification?
- 2. Consider the following syntax-directed semantic specification with underlying grammar G2, in which semantic functions are written and evaluated as Java expressions:

Give an attributed parse tree for the source string *ababa*, evaluate the attributes in the attributed parse tree through syntax-directed evaluation, and show the output produced.

3. In a game of Paper/Rock/Scissors, two players p_1 and p_2 simultaneously select one of $\{paper, rock, scissors\}$, and the winner is determined by the following function:

$$winner(p_1, p_2) = \begin{cases} paper, & if \ \{p_1, p_2\} = \{paper, rock\}; \\ rock, & if \ \{p_1, p_2\} = \{rock, scissors\}; \\ scissors, & if \ \{p_1, p_2\} = \{scissors, paper\}; \\ tie, & if \ p_1 = p_2. \end{cases}$$

From the following underlying CFG that generates Paper/Rock/Scissors games, construct an S-attributed translation scheme that prints the winner of a game.

$$G \to (P, P)$$

 $P \to paper \mid rock \mid scissors$

4. From the following underlying CFG which generates binary numbers, construct an S-attributed translation scheme which has semantic rules embedded after the right-hand sides of the productions and computes the value (val_N) of a binary number (N).

$$\begin{array}{c|ccc} N \rightarrow NB & | & B \\ B \rightarrow 0 & | & 1 \end{array}$$

5. Construct from the following underlying CFG an S-attributed attribute grammar which computes the value of a decimal literal (D) consisting of an integer literal (I), an optional fraction (F), and an optional exponent (E). Assume that the terminal symbol d has an attribute val_d which gives the value of the digit d.

| production $A \to \beta$ | semantic rule (w.r.t. $A \to \beta$) |
|--------------------------|---------------------------------------|
| $D \to IFE$ | |
| $I \to d$ | |
| $I \to Id$ | |
| $F \to \epsilon$ | |
| $F \to .I$ | |
| $E \to \epsilon$ | |
| $E \to eSI$ | |
| $S \to \epsilon$ | |
| $S \to +$ | |
| $S \rightarrow -$ | |